

MATLAB EXPO 2016

Power On!

Modeling Electric Systems With Simscape

Sebastian Malack

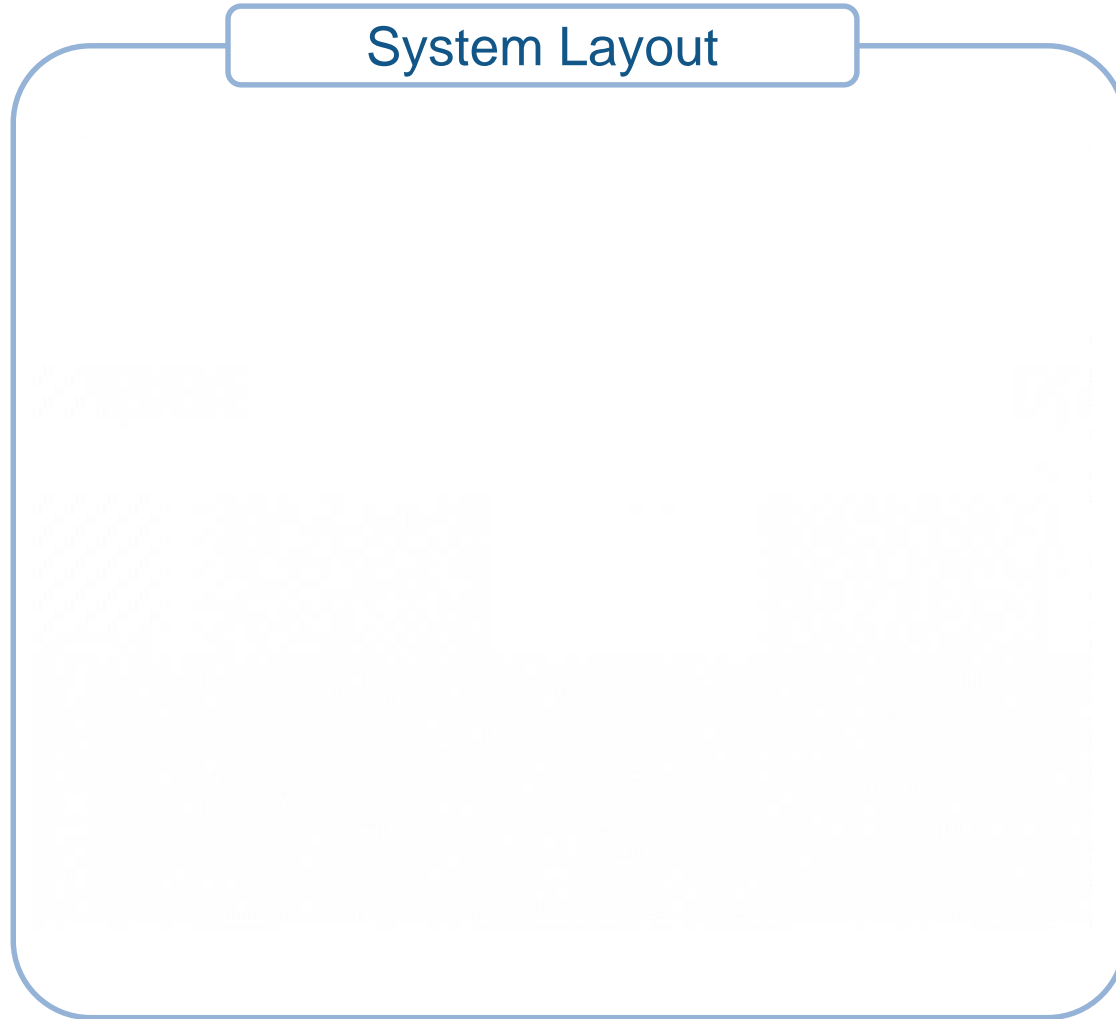


Presentation Roadmap

- Traditional System Modeling
- Physical System Modeling
- Physical Modeling in Industry and Research

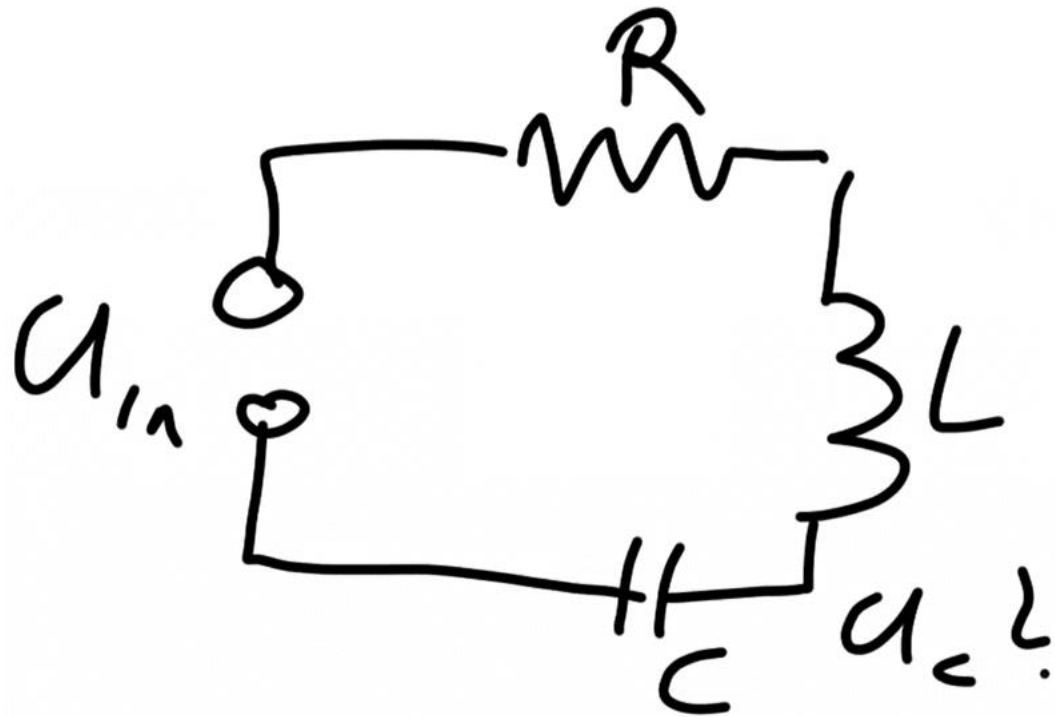
Modeling Approach: Traditional MATLAB and Simulink

Traditional System Modeling



Traditional System Modeling

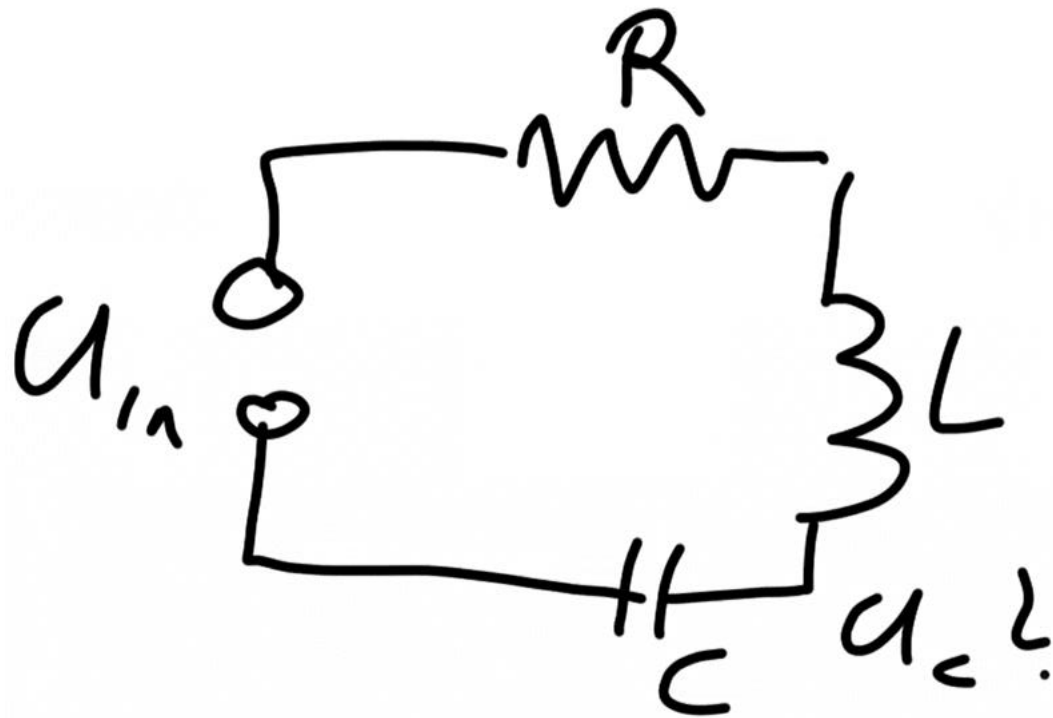
System Layout



Derive Equations

Traditional System Modeling

System Layout



Derive Equations

$$U_R = R \cdot i \quad (1)$$

$$U_L = L \frac{di}{dt} \quad (2)$$

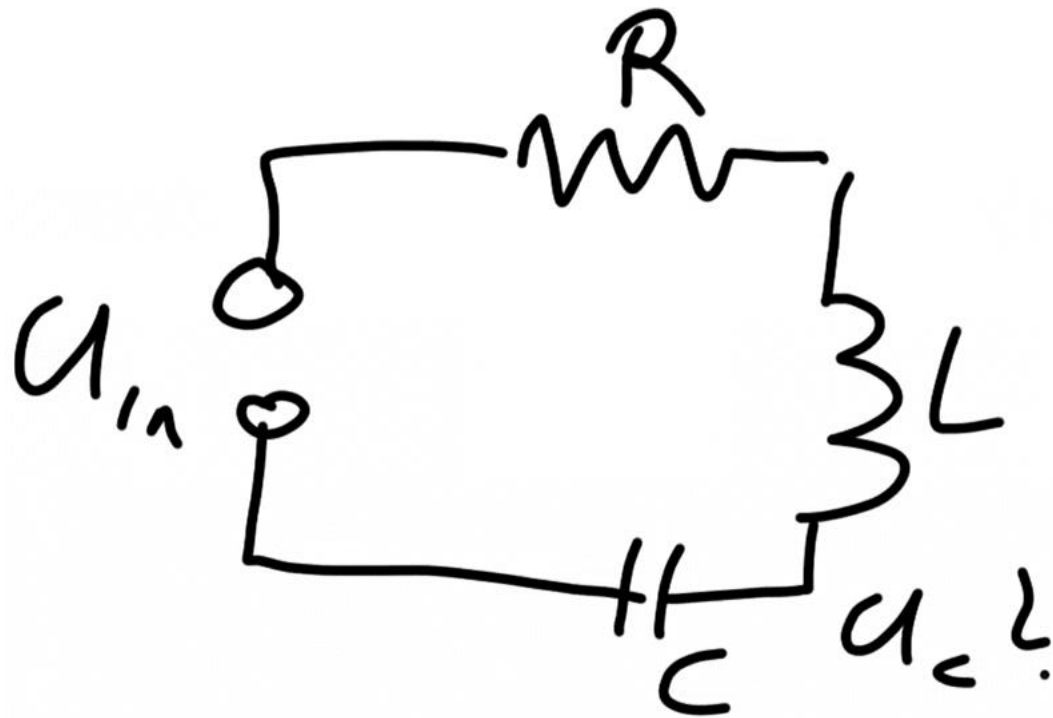
$$i_c = C \frac{du_c}{dt} \quad (3)$$

$$\sum U = 0 \quad (4)$$

$$i_R = i_L = i_C = i \quad (5)$$

Traditional System Modeling

System Layout



Derive Equations

$$U_R = R \cdot i \quad (1)$$

$$U_L = L \frac{di}{dt} \quad (2)$$

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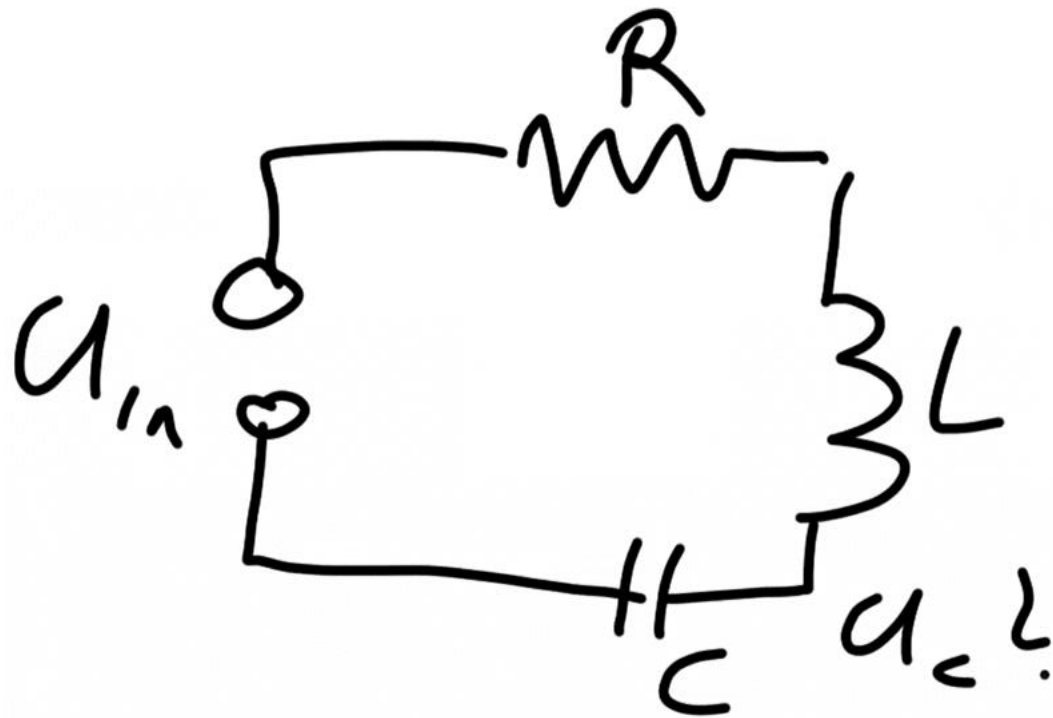
$$U_{in(t)} = U_R + U_L + U_C$$

~~$$= R \cdot i + L \frac{di}{dt} + C \frac{dU_c}{dt}$$~~

$$= R \cdot i + L \frac{di}{dt} + U_c \quad (1)(2) \quad (5)$$

Traditional System Modeling

System Layout



Derive Equations

$$U_R = R \cdot i \quad (1)$$

$$U_L = L \frac{di}{dt} \quad (2)$$

$$i_c = C \frac{dU_c}{dt} \quad (3)$$

$$\sum U = 0 \quad (4)$$

$$i_R = i_L = i_C = i \quad (5)$$

$$U_{in}(t) = U_R + U_L + U_C$$

~~$$= R \frac{dU_c}{dt} + L \frac{d^2 U_c}{dt^2} + U_C$$~~

$$= R \cdot i + L \frac{di}{dt} + U_c \quad (1)(2) \quad (5)$$

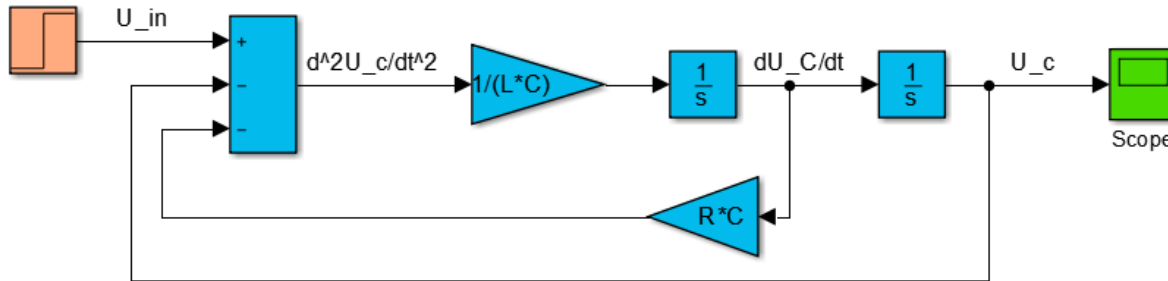
$$U_{in}(t) = CR \frac{dU_c}{dt} + \quad (3)$$

$$LC \frac{d^2 U_c}{dt^2} + U_c$$

2nd order

Traditional System Modeling With MATLAB/Simulink

Implementation using Block Diagrams



Implementation using Symbolic Math

```

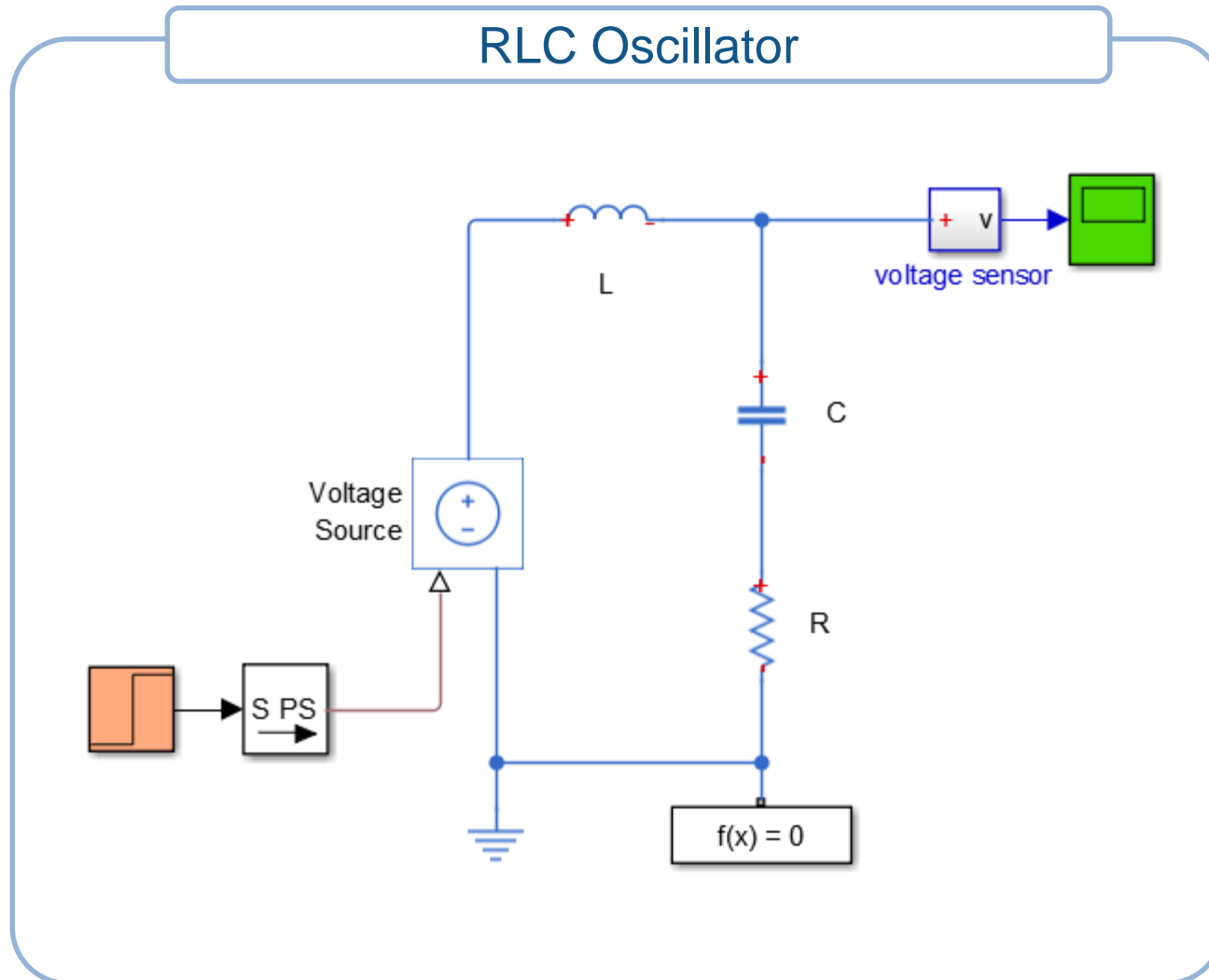
DUcDt    = diff(Uc);
D2UcDt2  = diff(Uc,2);
% Define differential equation for linear RLC circuit
RLC_DE   = L*C*D2UcDt2 + R*C*DUcDt + Uc*(1 + kappa*Uc^2) == Uin;
% Set initial conditions
Uc0      = Uc(0) == 0;
DUc0     = DUcDt(0) == 0;
% Solve differential equation and display
Uc_sym   = dsolve(RLC_DE, Uc0, DUc0);

```

- + Have full ownership of equations
- Solving/deriving equations time consuming
- Network adaptations require re-running of process chain
- Experience required to read and debug complex setups

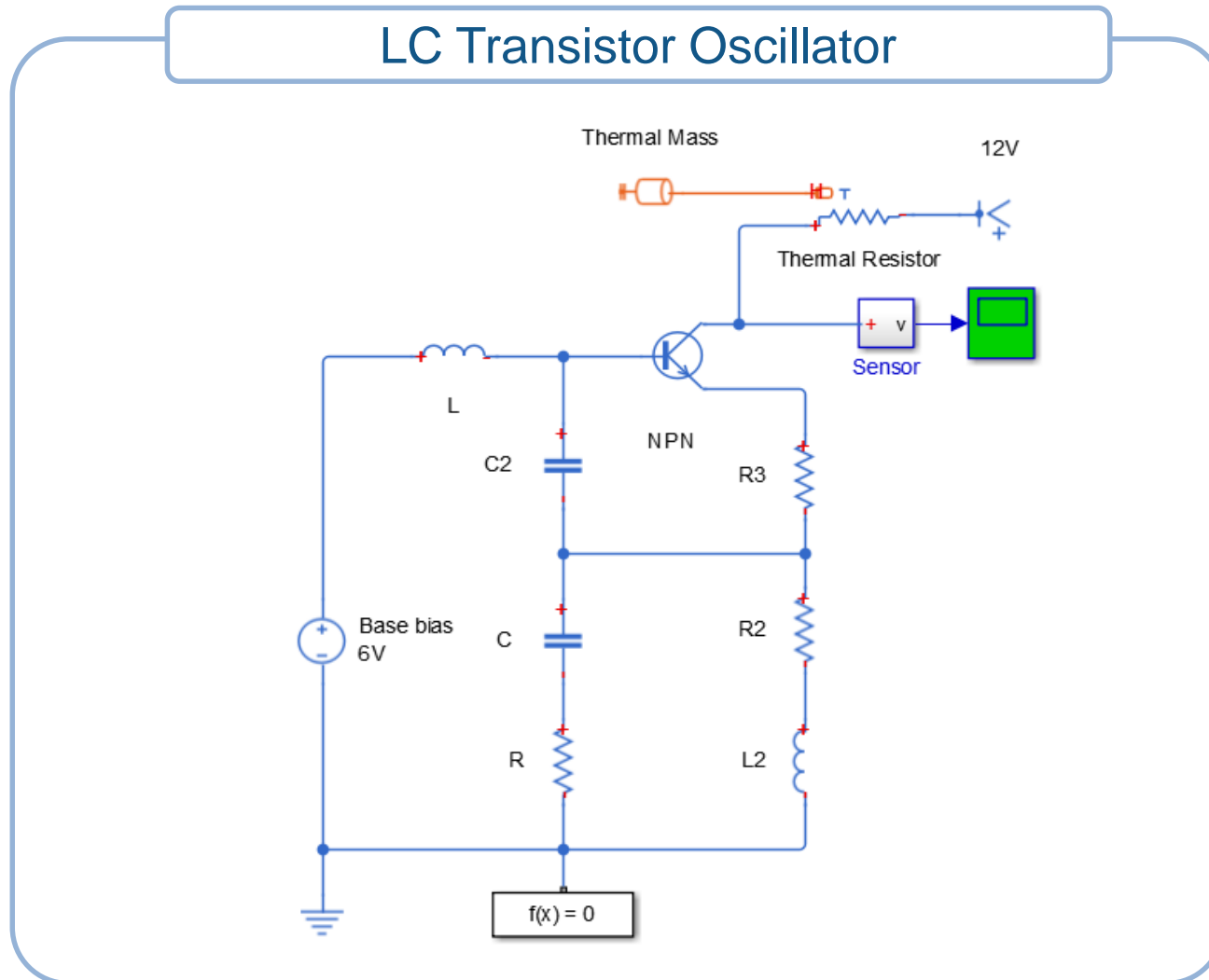
Modeling Approach: PhysMod Simscape

Modeling Process With Simscape



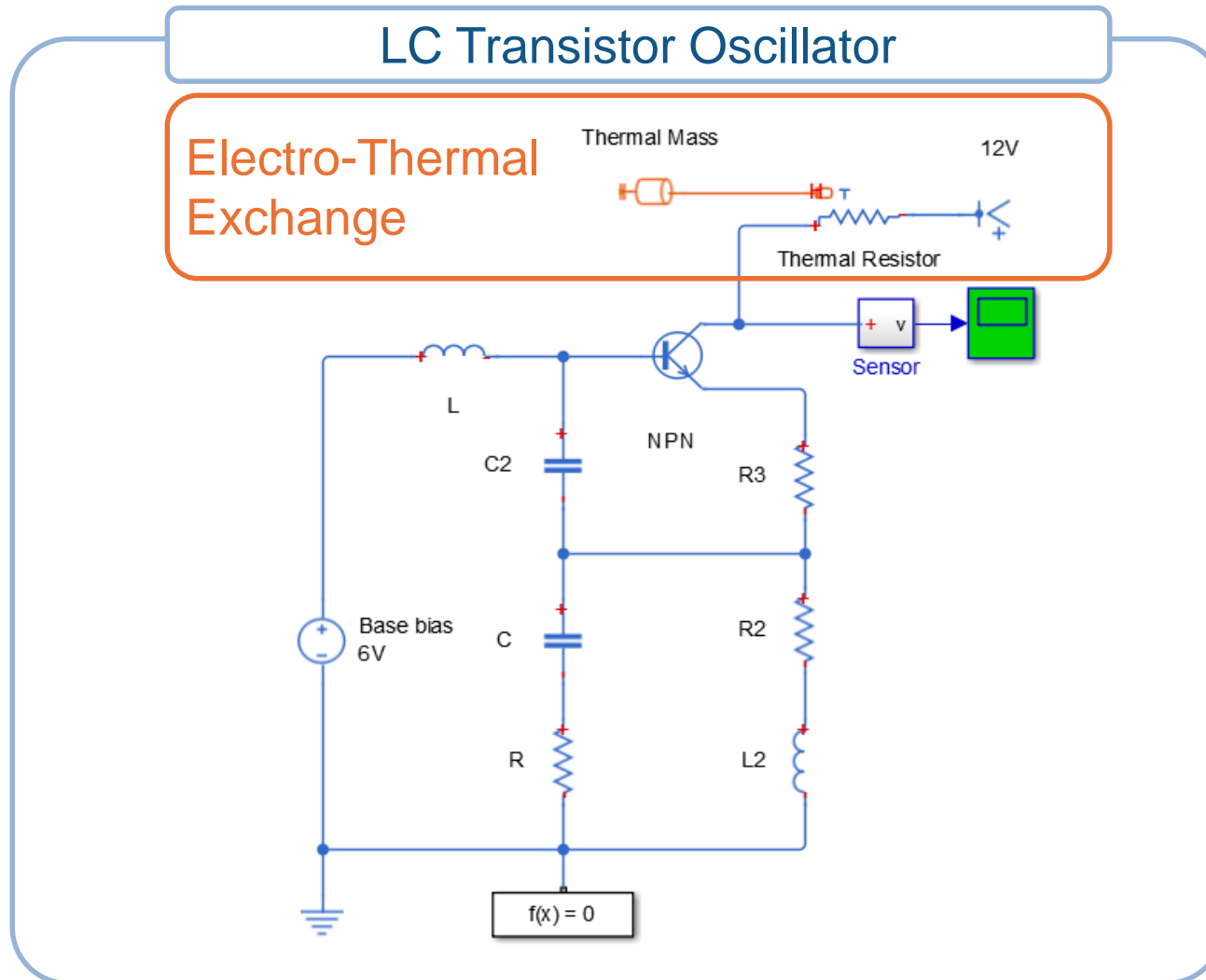
- + Implementation as easy as drawing the network
- + Integration with classical Simulink toolchain, incl. C-code generation
- No direct access to solved differential equations

Modeling Process With Simscape



- + Implementation as easy as drawing the network
- + Integration with classical Simulink toolchain, incl. C-code generation
- No direct access to solved differential equations
- + Easy network adaptations

Easy Domain Interaction With Simscape



- + Implementation as easy as drawing the network
- + Integration with classical Simulink toolchain, incl. C-code generation
- No direct access to solved differential equations
- + Easy network adaptations and interaction with different domains

Utilize The Full Power Of Simscape Language

Customization and Adaptation

```
MATLAB
Editor - C:\MyComponents\LossyUltraCapacitor.ssc
1 component LossyUltraCapacitor
2 % Lossy Ultracapacitor
3 % Models an ultracapacitor with resistive losses.
4 nodes
5     p = foundation.electrical.electrical; % +:top
6     n = foundation.electrical.electrical; % -:bottom
7 end
8 parameters
9     C0 = { 1, 'F' }; % Nominal capacitance C0 at V=0
10    Cv = { 0.2, 'F/V' }; % Rate of change of C with voltage V
11    R = { 2, 'Ohm' }; % Effective series resistance
12    Rd = { 500, 'Ohm' }; % Self-discharge resistance
13 end
14 variables
15    i = { 0, 'A' }; % Current through variable
16    v = { 0, 'V' }; % Voltage across variable
17    vc = { 0, 'V' }; % Capacitor voltage
18 end
```

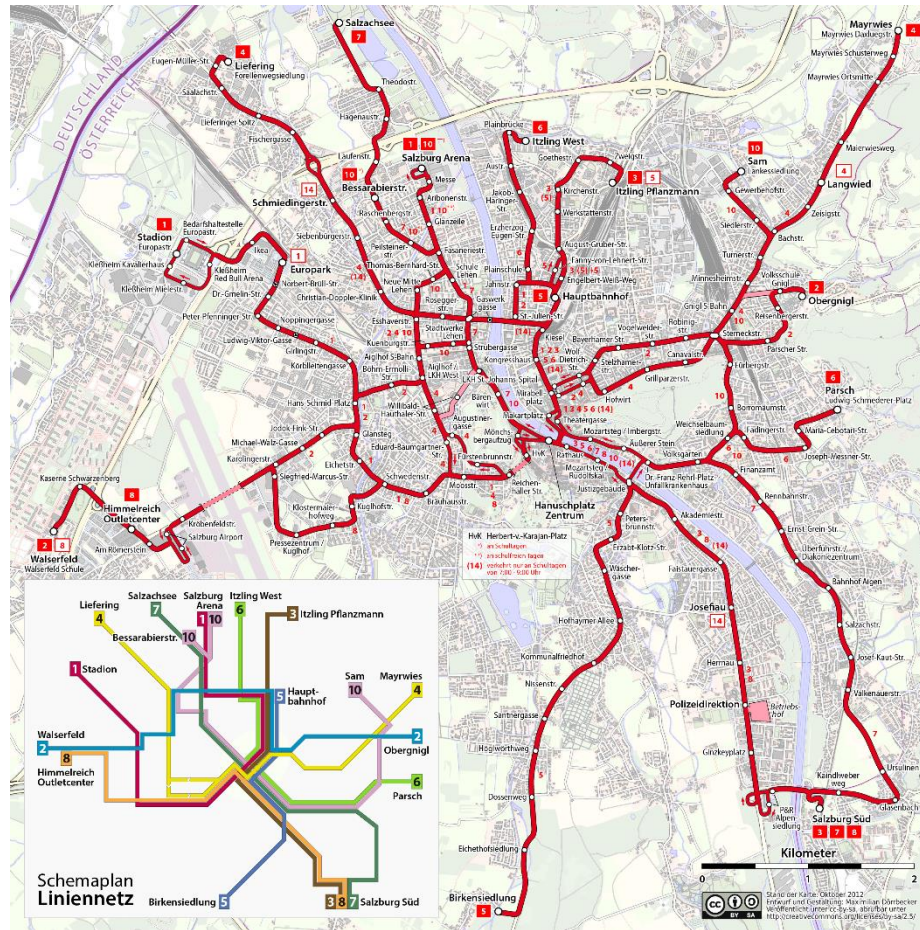
- Write and share your own components
- Use foundation domains or define your own
- Utilize foundation library components as templates
- Transform symbolic math to Simscape equations

Modeling Approach: PhysMod

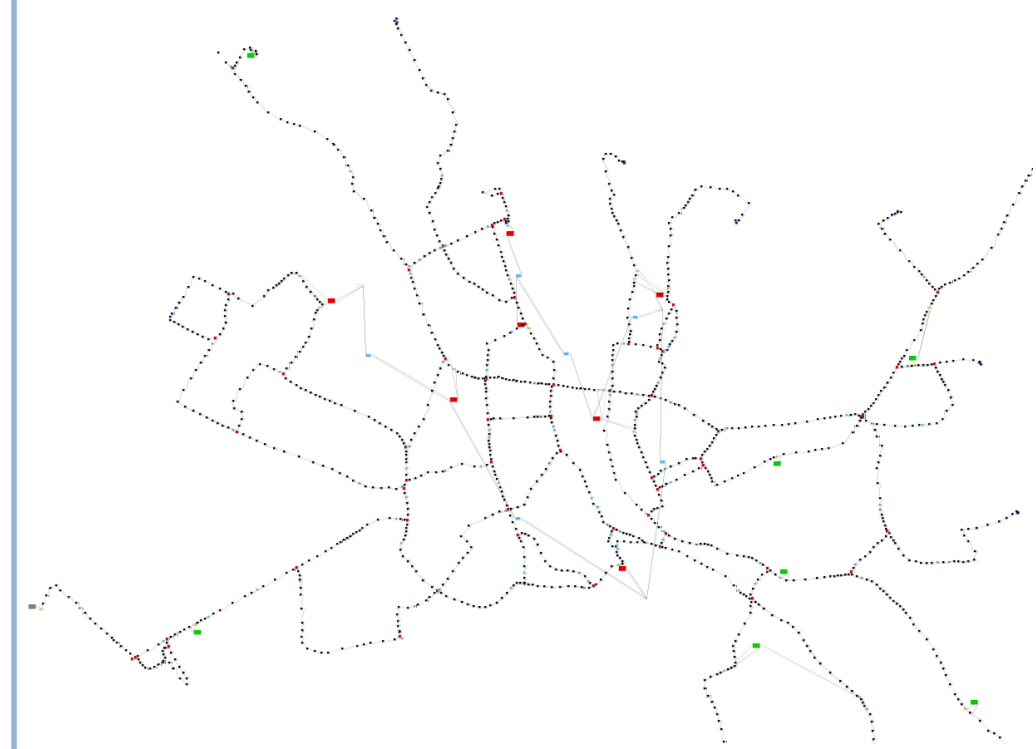
Industry and Research Examples

Simscape For Automatic Grid Generation

Route Network Salzburg



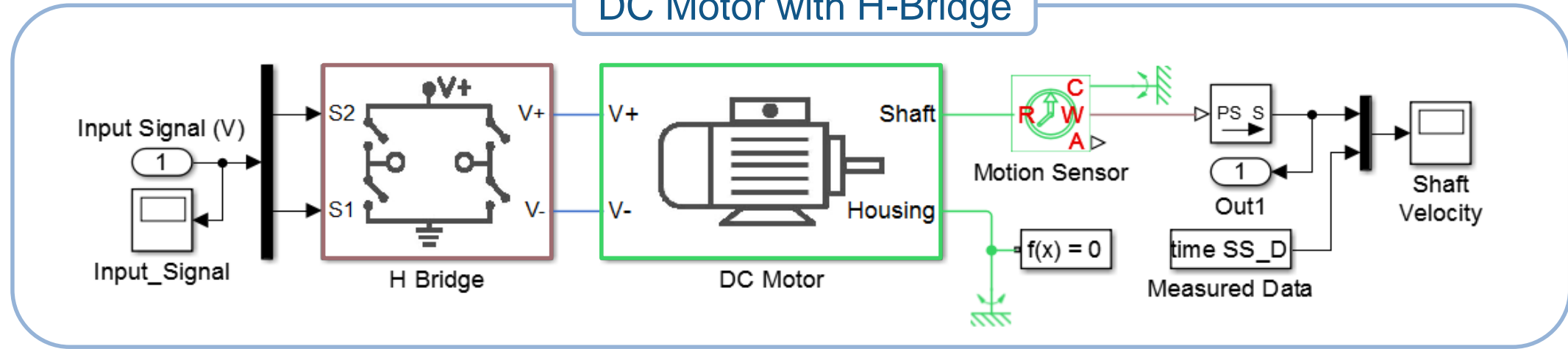
Simulation Grid



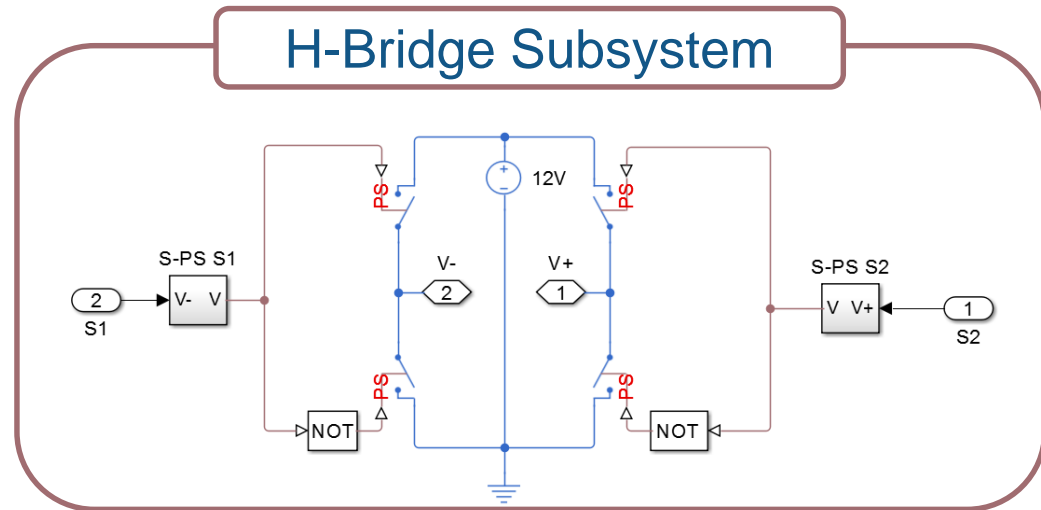
with friendly approval of

Click-and-Go Parameter Optimization

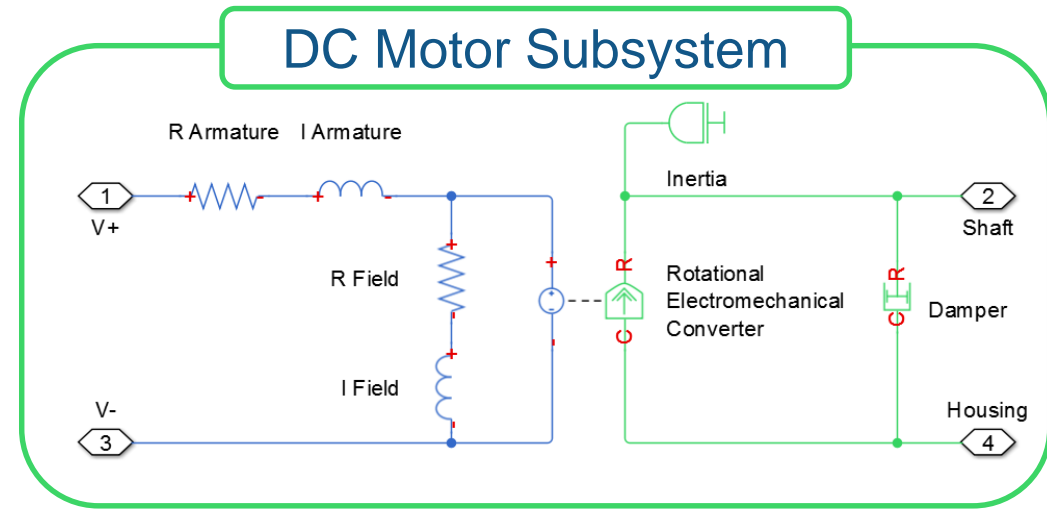
DC Motor with H-Bridge



H-Bridge Subsystem

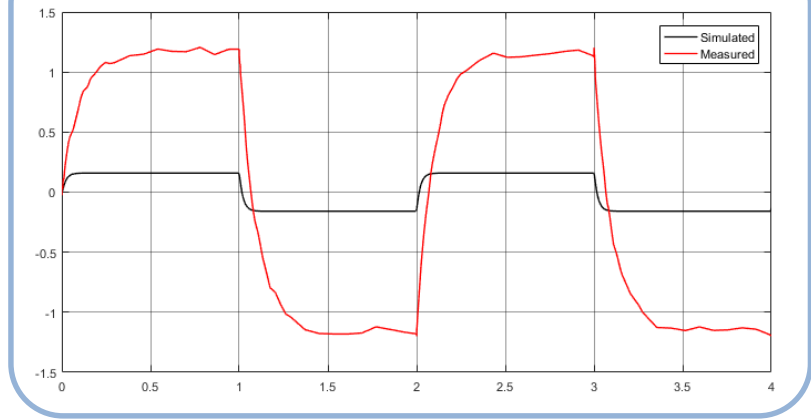


DC Motor Subsystem

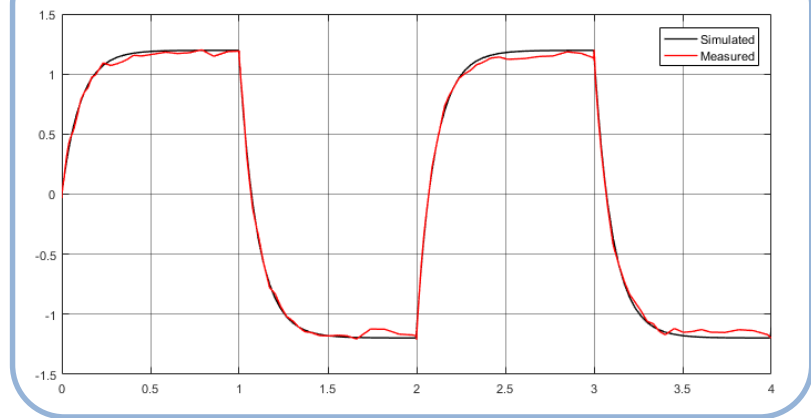


Click-and-Go Parameter Optimization

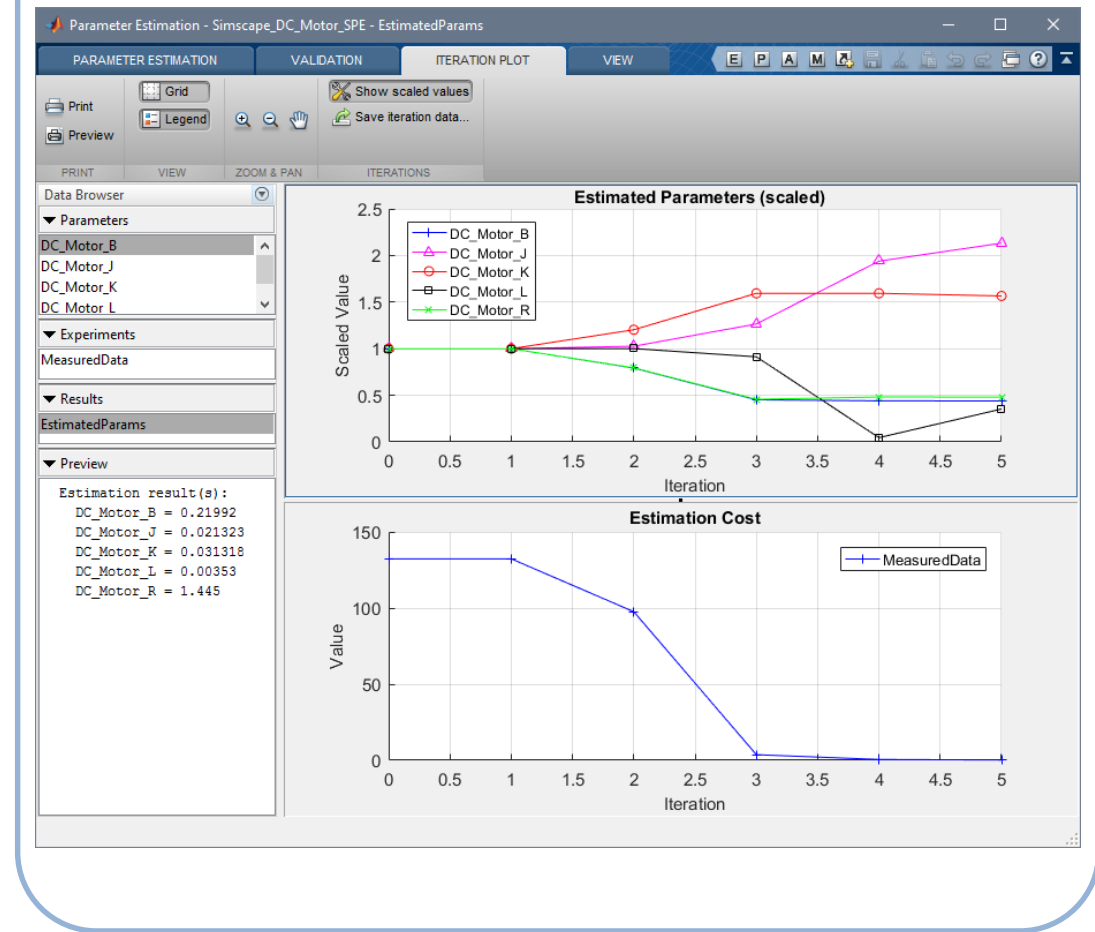
Precondition



Optimized



Design Optimization



Example Consulting References

Customer Success Stories

- + DCNS Models and Simulates SAMAHE Helicopter Handling System
- + Haldex Reduces Braking and Stability System Development Time by 50%

Proven Solutions

- + Battery Simulation and Controls
- + Thermal Systems Modeling
- + Electrical Power Systems Simulation
- + Motor Control Development